

URR measurements, evaluation, and testing for tantalum

Y. DANON, J. BROWN*

*Gaerttner LINAC Center
Department of Mechanical, Aerospace and Nuclear Engineering
Rensselaer Polytechnic Institute, Troy, NY, 12180*

**Now at Oak Ridge National Laboratory*



IAEA TM INDEN on resonance parameters of actinides, October 21-24, 2019

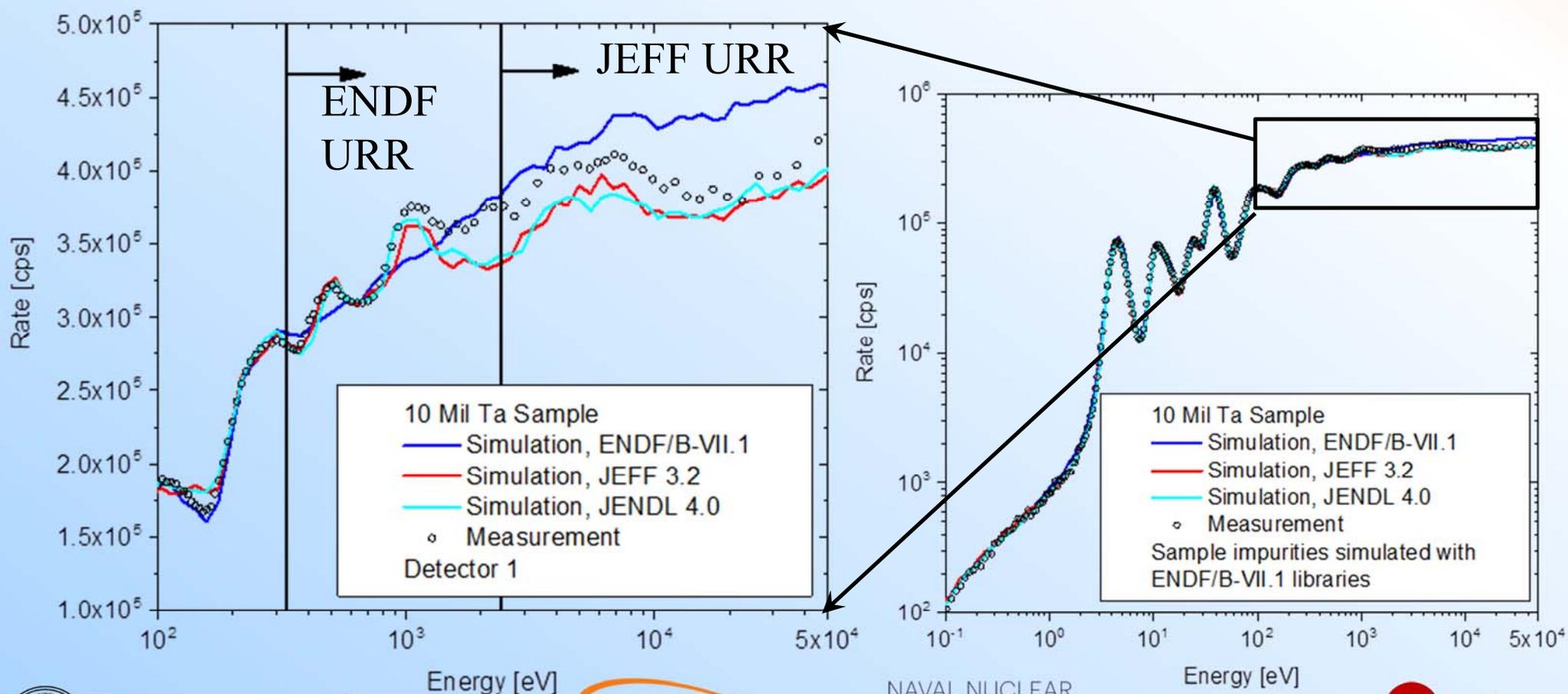
Motivation

- Tantalum was chosen:
 - On NCSP list of nuclear data needs
 - Single isotope and thus easier analysis
 - Has some cross section fluctuations in the URR
 - Similar to some actinides
- Develop methodology to test the URR self shielding accuracy
- The validation method can be used for actinides such as U-238 and U-235.



Motivation: LSDS capture rate measurements

- Discrepant evaluated libraries
- Lead Slowing Down Spectrometer (LSDS) study: Discrepancies between libraries in simulated capture rate



URR options

- LSSF=0 (what we used for Ta)
 - File 2 – URR parameters
 - Used to generate probability tables (or self-shielding factors)
 - File 3 – background cross section (zero here)
 - Cross section = (File 2 generated cross section) + (File 3)
- LSSF=1
 - File 2 – URR parameters
 - Used to calculate self-shielding factor $SF = \langle F2 \text{ shielded} \rangle / \langle F2 \text{ not shielded} \rangle$
 - File 3 – Gross structure infinite dilution cross section
 - Cross section = $SF \times (\text{File 3})$ (fixes the energy grid)
- Probability tables and self-shielding factors are generated in application codes
 - Used NJOY 21 (LSSF=0) + MCNP 6.1

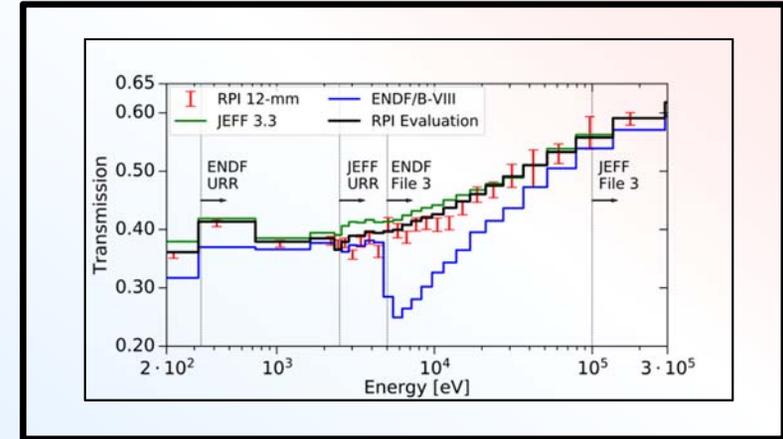


The big picture

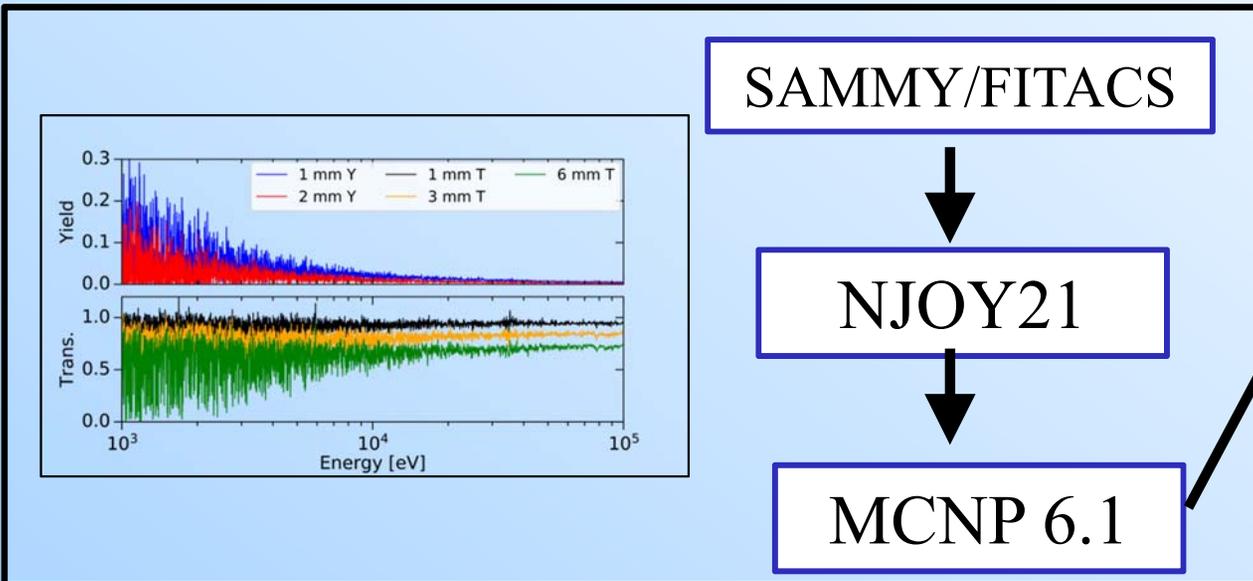
Measurements



Validation



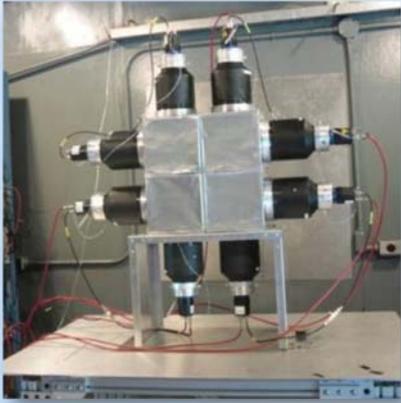
Evaluation



Novel Use of Thick-Sample Transmission Measurement: Validating the URR

Detectors and Measurements

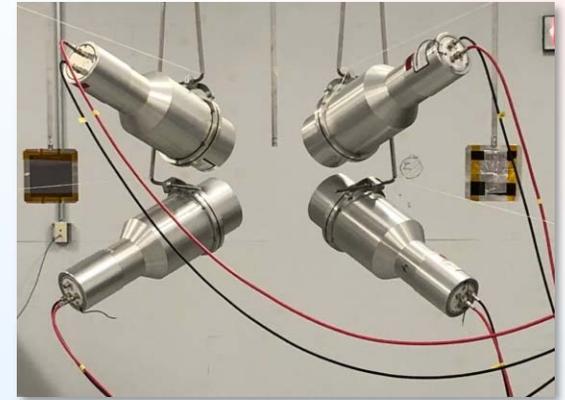
MELINDA (100m)



^6Li glass (35m)



C_6D_6 Detector (45m)



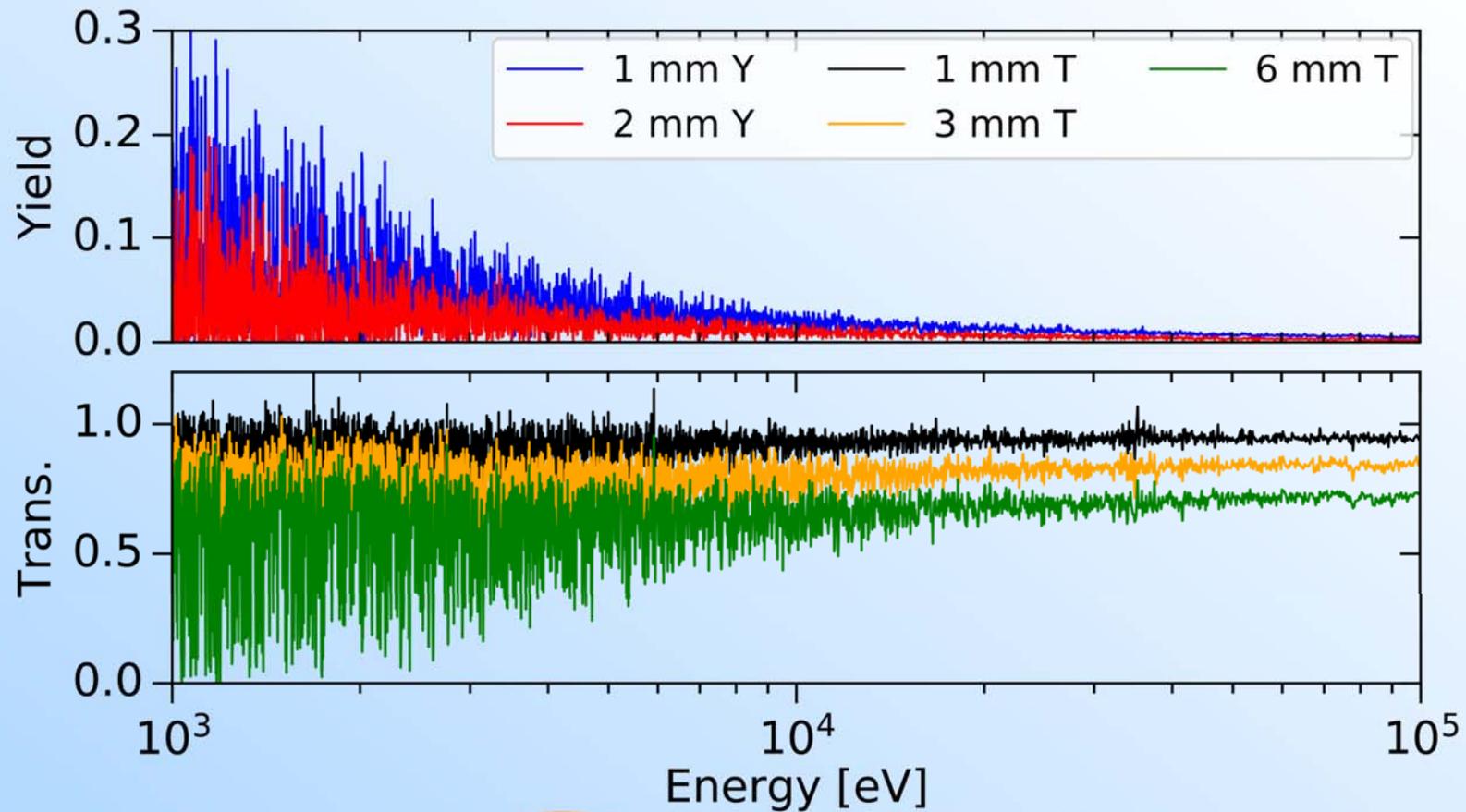
- High energy resolution
- Fast timing
- Large active detector area
- Data-processing well understood

- Relatively good energy resolution
- Fast timing
- Shorter flight-path enables greater count rate
- Better count rate allows freedom of neutron targets

- Highest energy resolution for capture at RPI
- Low neutron sensitivity
- Designed with digital acquisition system

Data to Evaluate

- ^{181}Ta Evaluation Datasets:
- Capture Yield: 1 and 2 mm
- Transmission: 1, 3, and 6 mm



SAMMY Evaluation

RRR

Input:

- Resonance Parameters
- Data Reduction Parameters
- Experimental Conditions
- Experimental Data: **Transmission and Capture Yield**

**SAMMY:
R-matrix Bayesian Fitting
Program**

New Resonance
Parameters

URR

Input:

- Average Resonance Parameters
- Experimental Conditions
- Experimental Data: **Total and Capture cross section**

**SAMMY/FITACS &
SESH:**

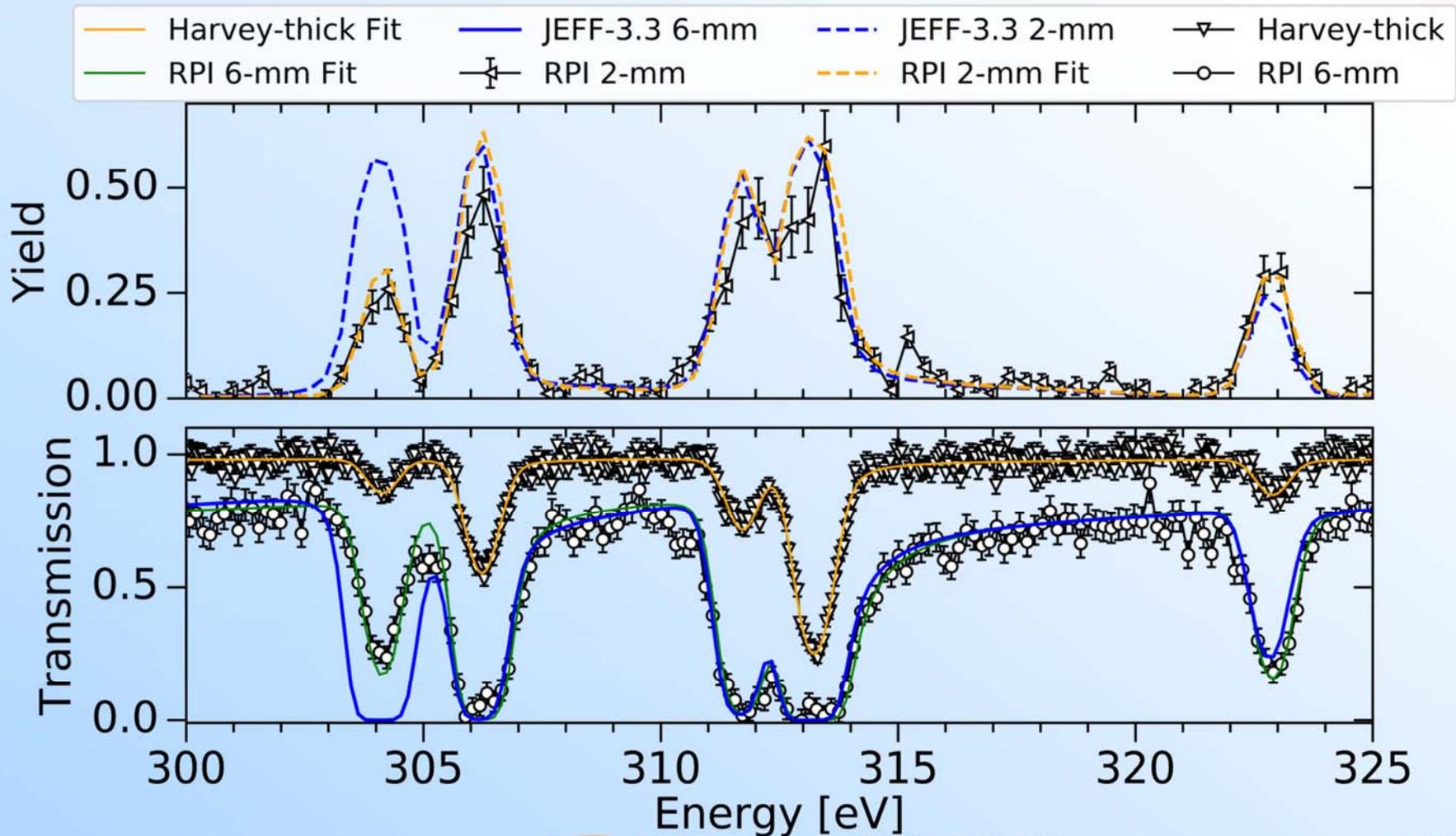
- **Hauser Feshbach Bayesian Fitting Program**
- **MC Self-Shielding Code**

New Average
Resonance
Parameters

Data to Evaluate: RRR (one example)

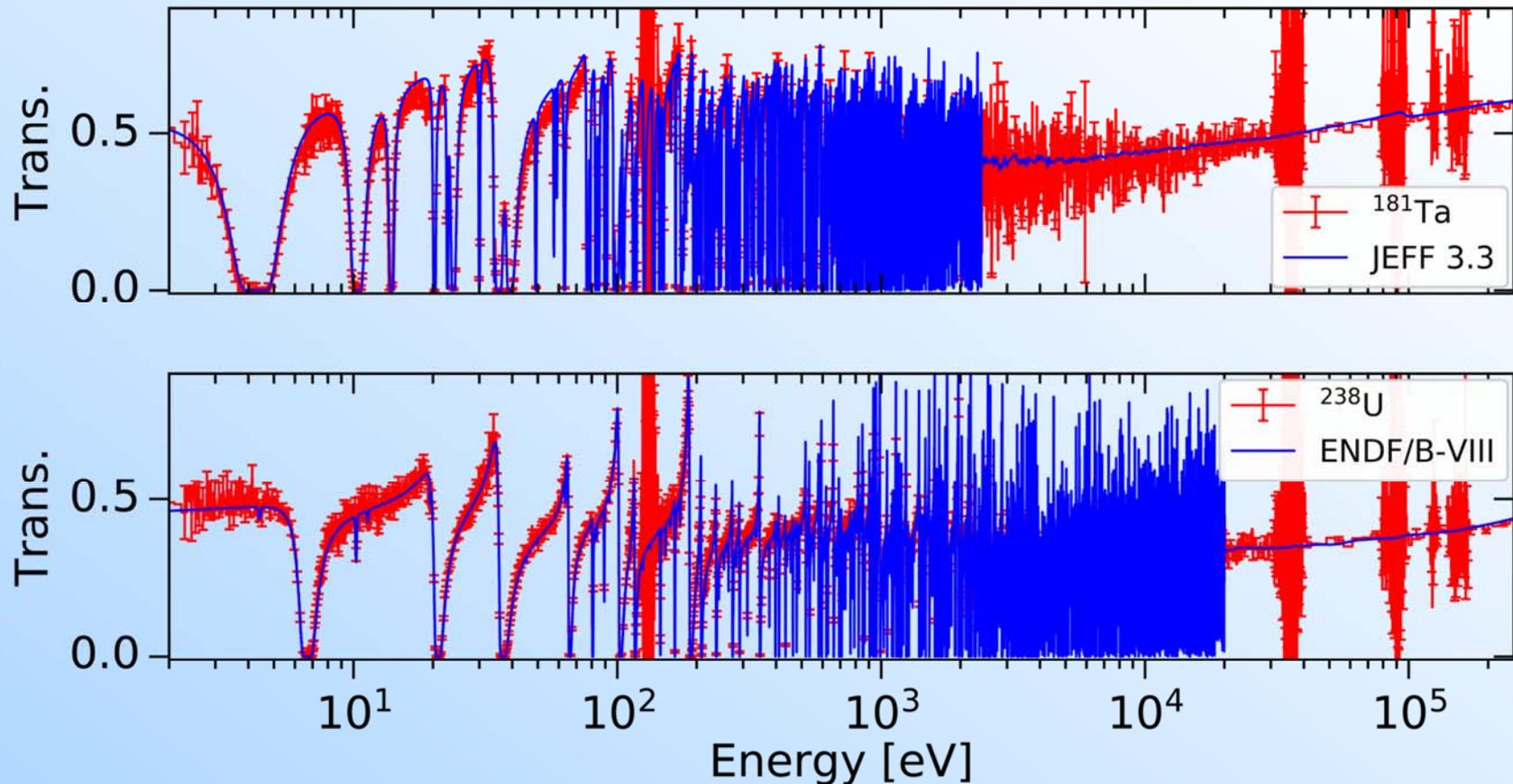
End of ENDF/B-VIII.0 RRR:

- 304 eV resonance updated
- Transmission and capture yield are well resolved



Validation transmission data

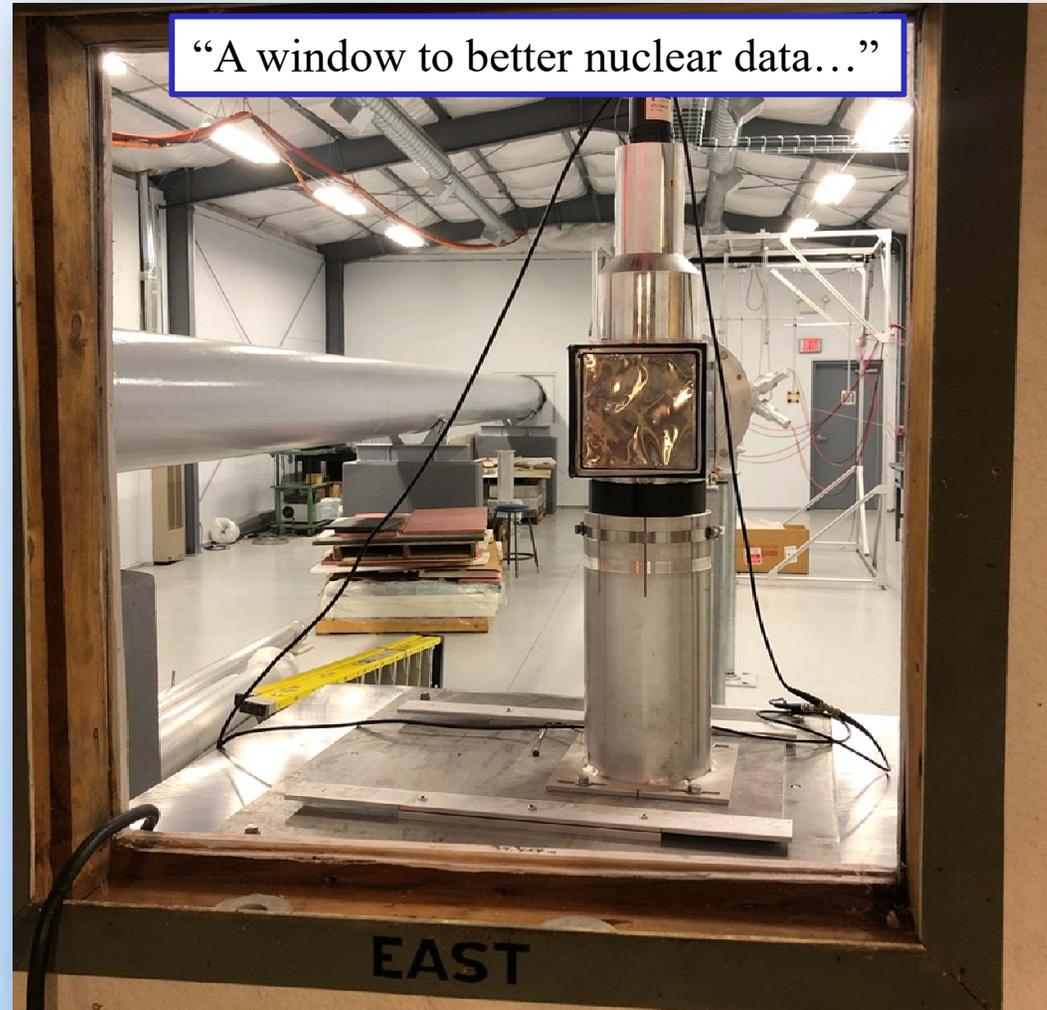
- ^{181}Ta Validation Dataset:
 - Transmission: 12 mm
 - ^{238}U verification dataset



Transmission for validation

^6Li doped scintillating glass detector

- 2 PMT's viewing a light tight aluminum case



URR Transmission Enhancement Math

Neutron transmission through a sample: $T(E) = e^{-n\sigma_t(E)}$

The “true” average transmission from energy E_1 to E_2

$$\langle T \rangle = \frac{1}{E_2 - E_1} \int_{E_1}^{E_2} e^{-n\sigma_t(E)} dE = \frac{1}{E_2 - E_1} \int_{E_1}^{E_2} e^{-n[\sigma_t(E) + \langle \sigma_t \rangle - \langle \sigma_t \rangle]} dE$$

Enhancement due to $\sigma_t(E)$ fluctuations

$$\langle T \rangle = e^{-n\langle \sigma_t \rangle} \frac{1}{E_2 - E_1} \int_{E_1}^{E_2} e^{-n[\sigma_t(E) - \langle \sigma_t \rangle]} dE$$

Note: positive and negative contributions

$$sft(E) = \frac{1}{E_2 - E_1} \int_{E_1}^{E_2} e^{-n[\sigma_t(E) - \langle \sigma_t \rangle]} dE$$

$$\bar{T} = e^{-n\langle \sigma_t \rangle}$$

Self-shielded

$$\langle T \rangle = \bar{T} * sft(E) \quad \text{where } sft(E) > 1, \rightarrow \langle T \rangle > \bar{T} \rightarrow \langle \sigma_t \rangle < \bar{\sigma}_t$$

Evaluation procedure must preserve the fluctuations of $\sigma_t(E)$

URR Transmission Enhancement Example

- Example calculating neutron transmission through a 6 mm Ta sample
- If the cross section was known in high energy resolution, the “true” transmission:

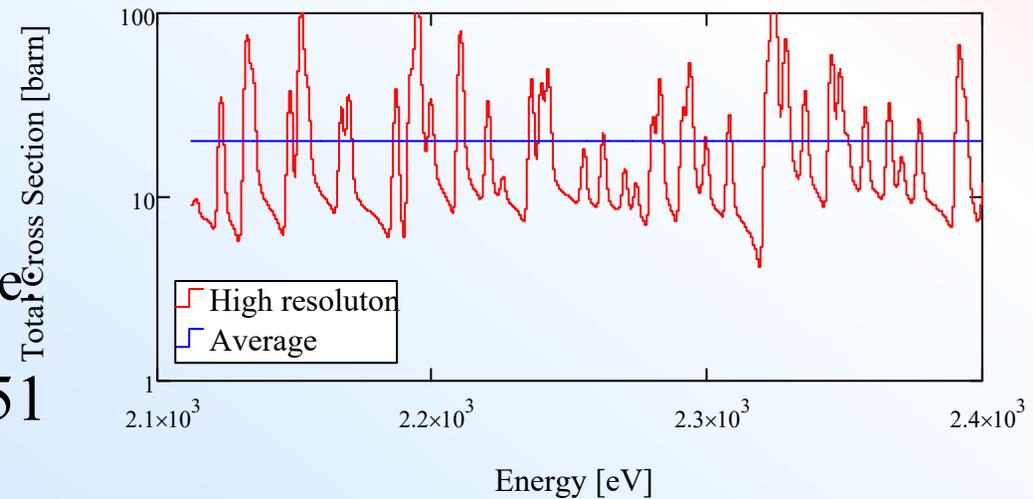
$$\langle T \rangle = \frac{1}{E_2 - E_1} \int_{E_1}^{E_2} e^{-N \cdot \sigma_t(E)} dE = 0.59$$

- If we use only the cross section average

$$\bar{T} = \frac{1}{E_2 - E_1} \int_{E_1}^{E_2} e^{-N \cdot \langle \sigma_t \rangle} dE = e^{-N \cdot \langle \sigma_t \rangle} = 0.51$$

- Fluctuations enhance transmission and thus reduce the effective cross section (relative to the average) hence the term self shielding
- When measuring the total cross section with a thick sample a correction for the self shielding is needed.

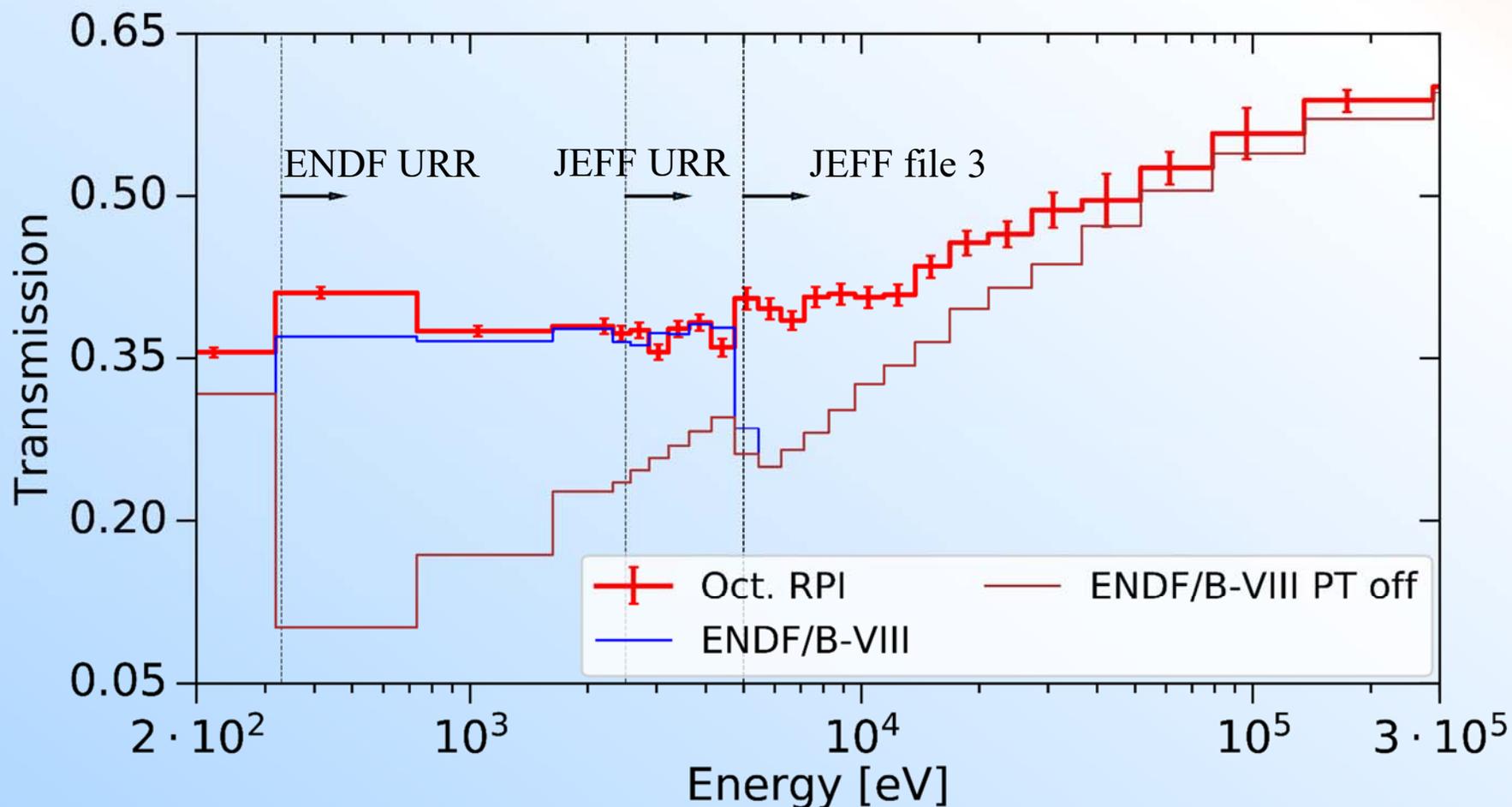
- Can use two sample thicknesses →
- Can use a model based approach → SESH



Froehner, et al, “Cross-section fluctuations and self-shielding effects in the unresolved resonance region”, International Evaluation Co-operation volume 15 (NEA-WPEC--15), Nuclear Energy Agency of the OECD, NEA, (1995).

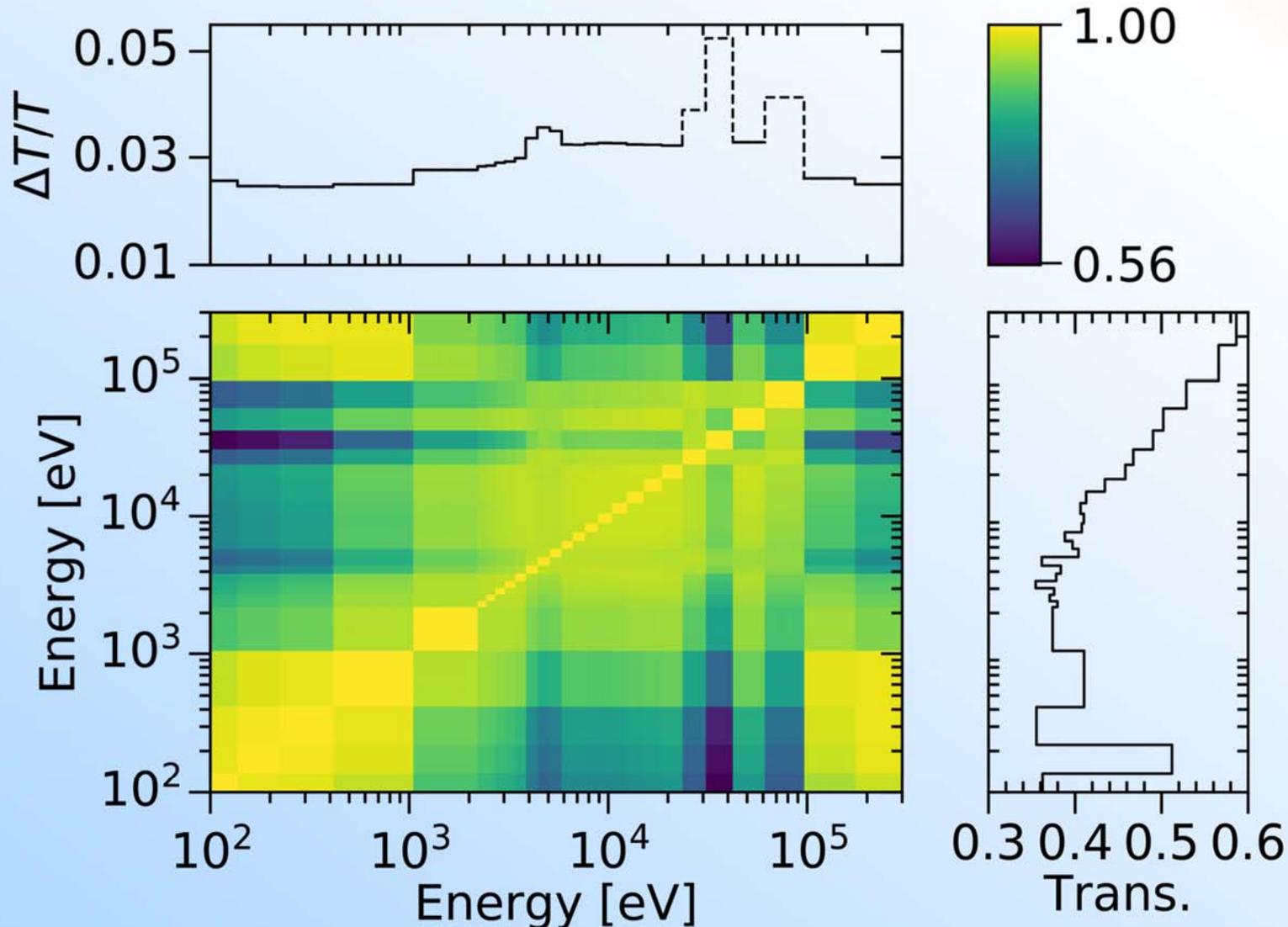
Resonance Self-Shielding effect in Ta

- The effect of self shielding is shown by turning off the URR treatment in MCNP
- Near 400 eV self-shielding reduces the transmission by a factor of about 4



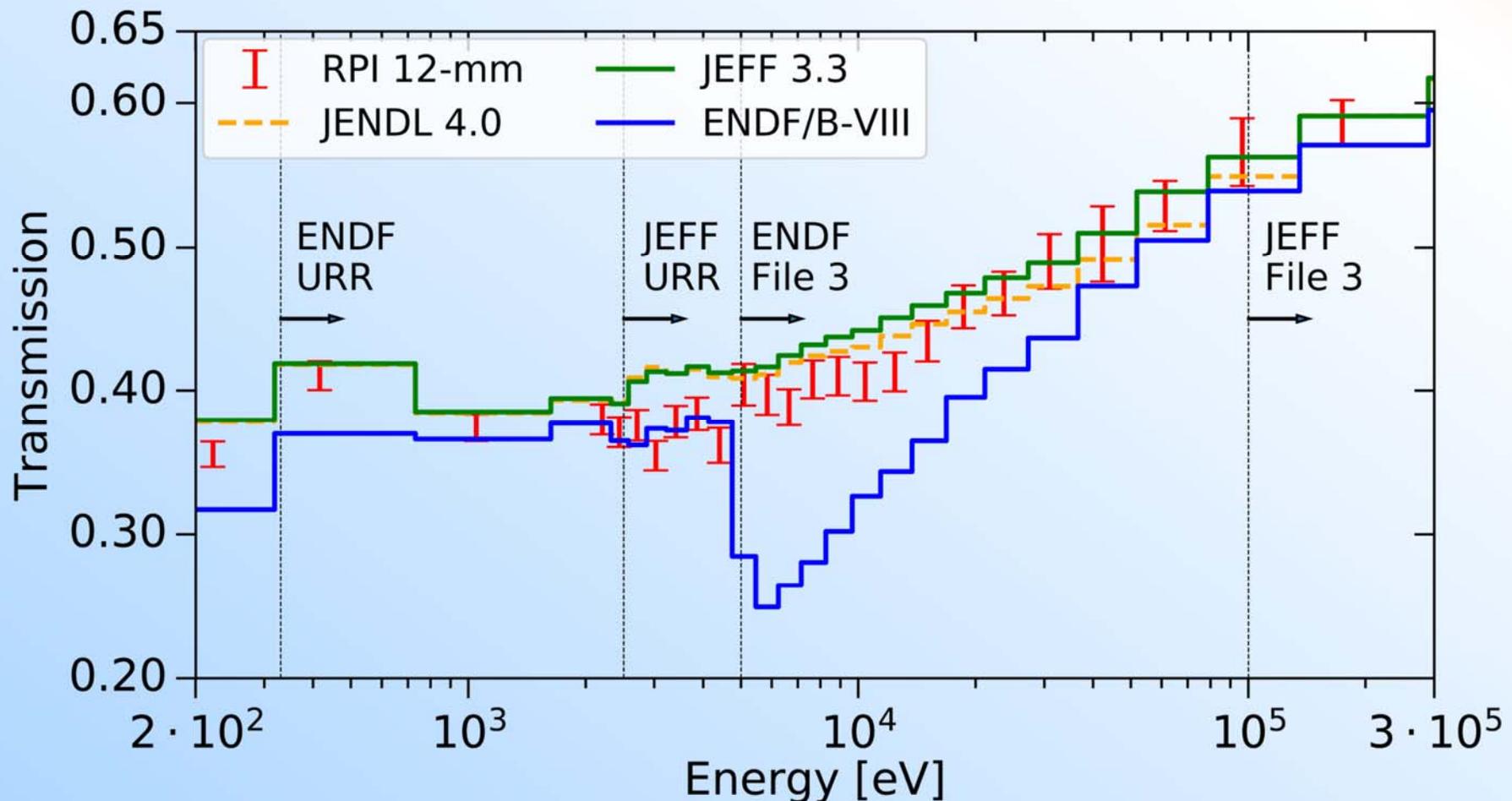
Validation Transmission Measurement

$$C_y = F_x C_x F_x^T = F_{x,stat} C_{x,stat} F_{x,stat}^T + F_{x,sys} C_{x,sys} F_{x,sys}^T$$

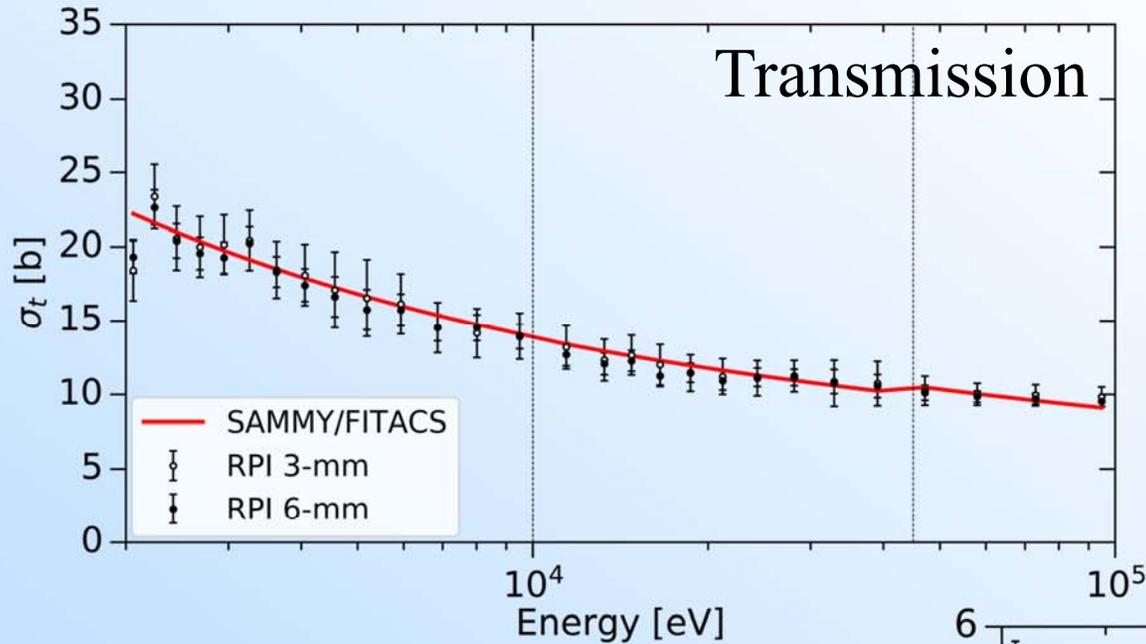


Validation Transmission and evaluations

- Transmission for 12 mm sample
 - Grouped to have about 50 resonances per bin
- Observe the limitations of the URR treatment using JEFF-3.3, JENDL-4.0, and ENDF/B-VIII.0



Multi-Region URR

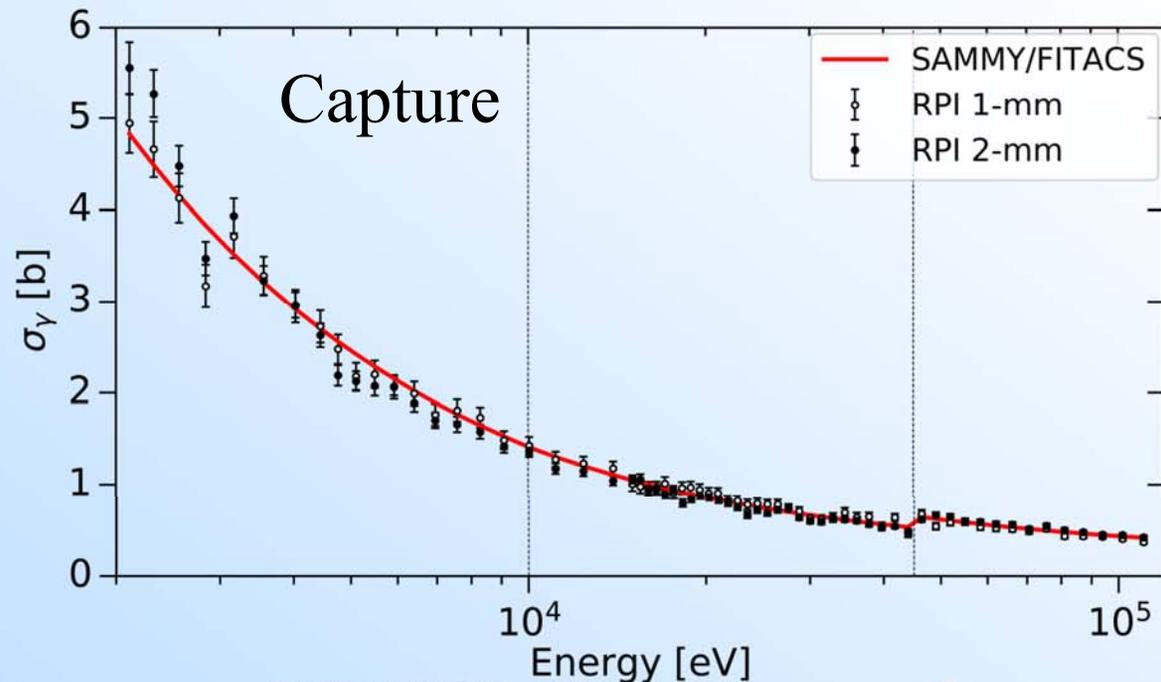


Options considered

1. One region URR
2. Multi Region URR
3. Extended RRR

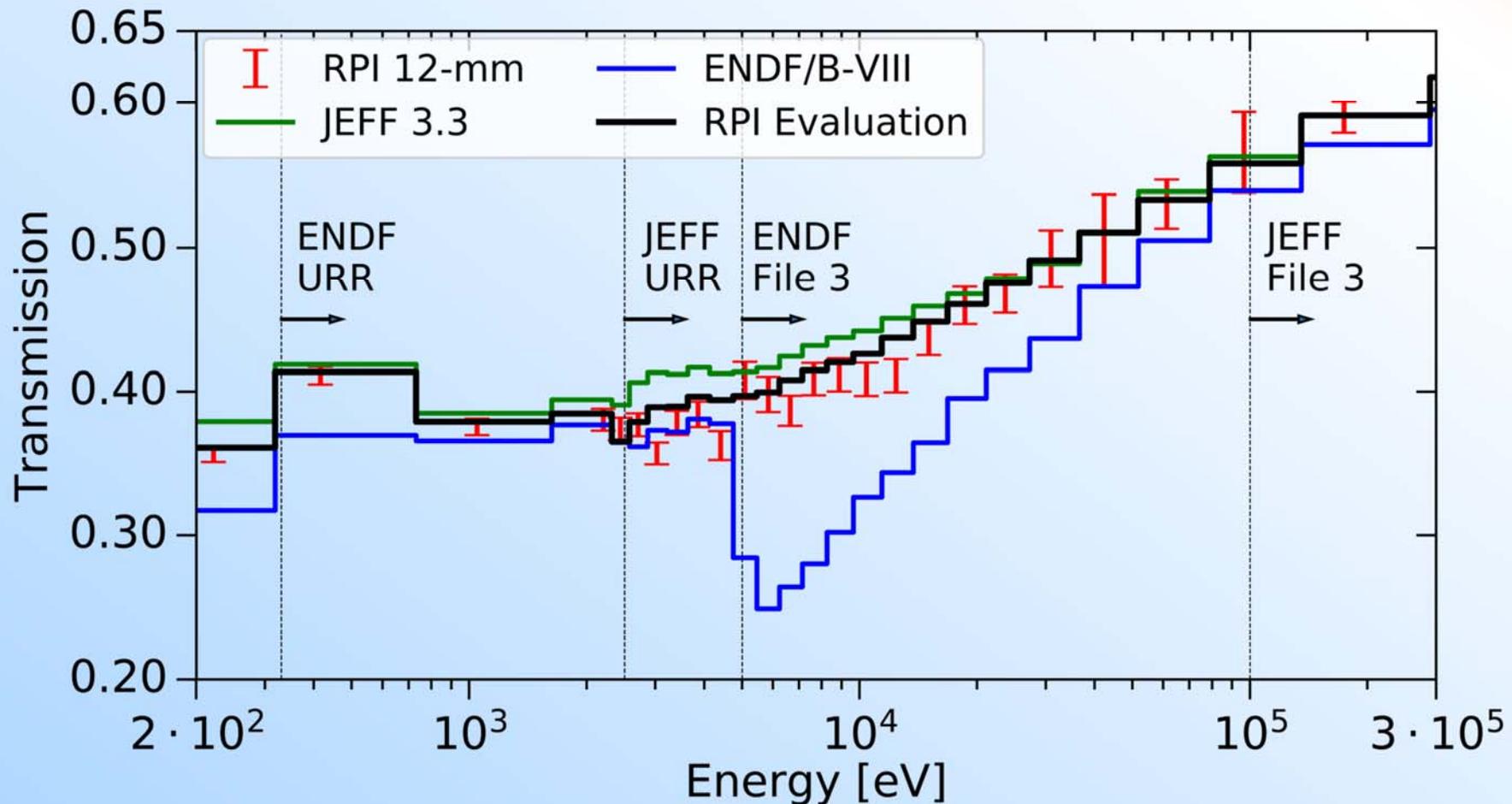
E-regions fit:

- 2-10 keV
- 10-45 keV
- 45-120 keV



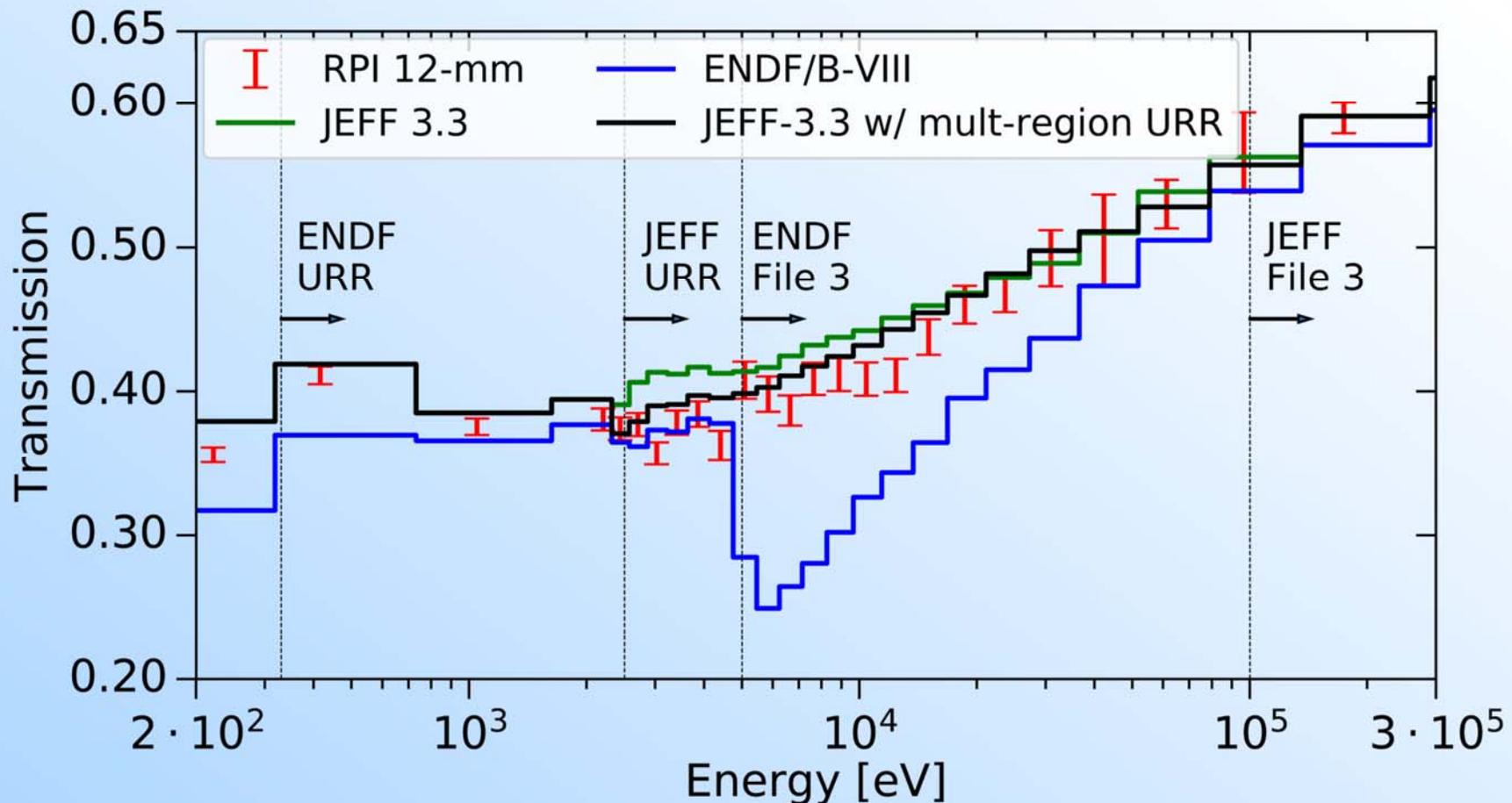
RPI Evaluation: Updated JEFF-3.3

- Updated RRR and URR parameters
- Very sensitive to a_c , D and other $\langle Pars \rangle$
- Using the RPI evaluation we can improve agreement with measured data



Multi-Region URR

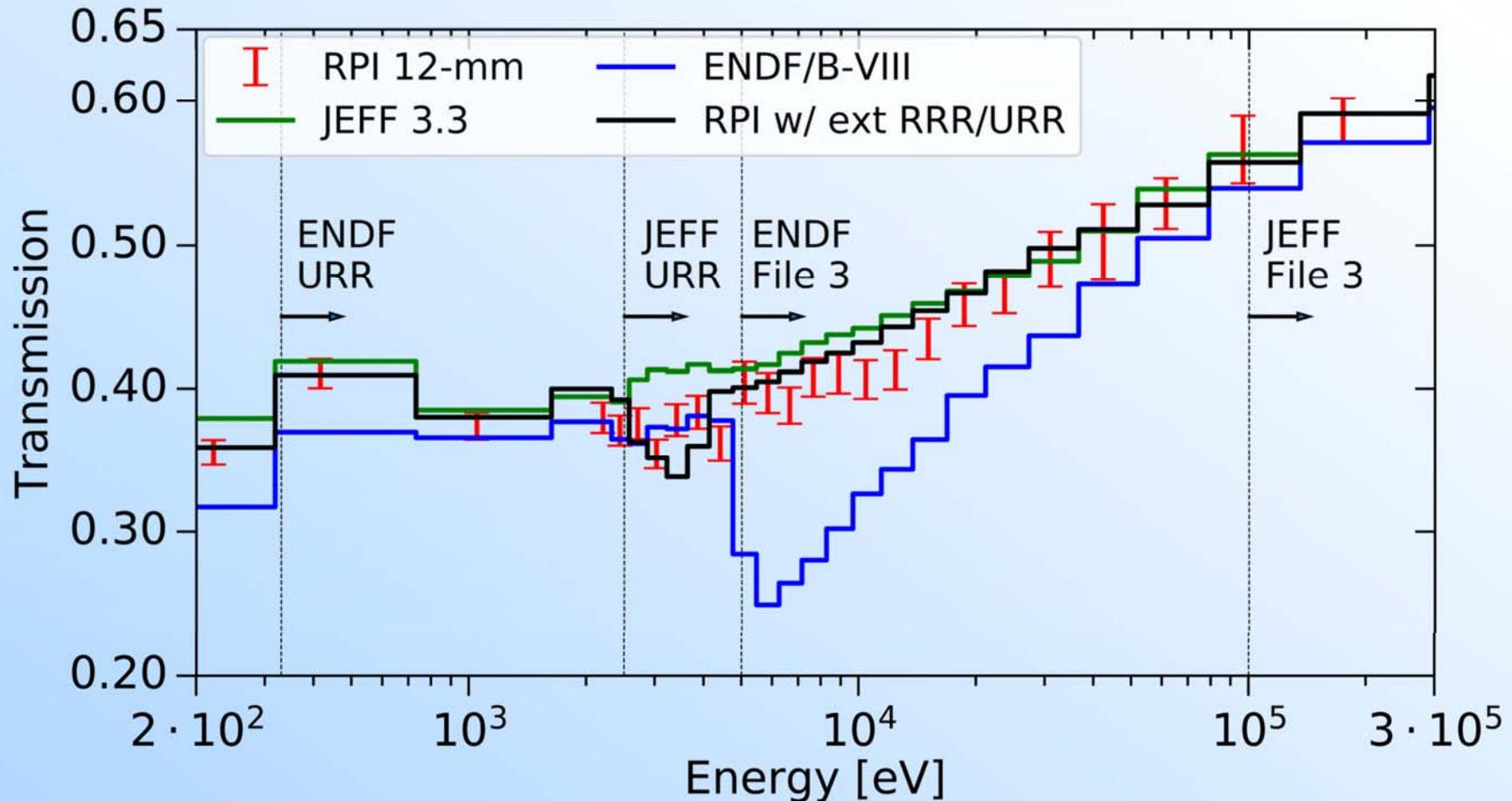
- Performs reasonably well compared to thick-sample transmission
- $\langle Pars \rangle$ for each region are less constrained
- Separated parameters do not significantly improve overall shape



Extended RRR fit

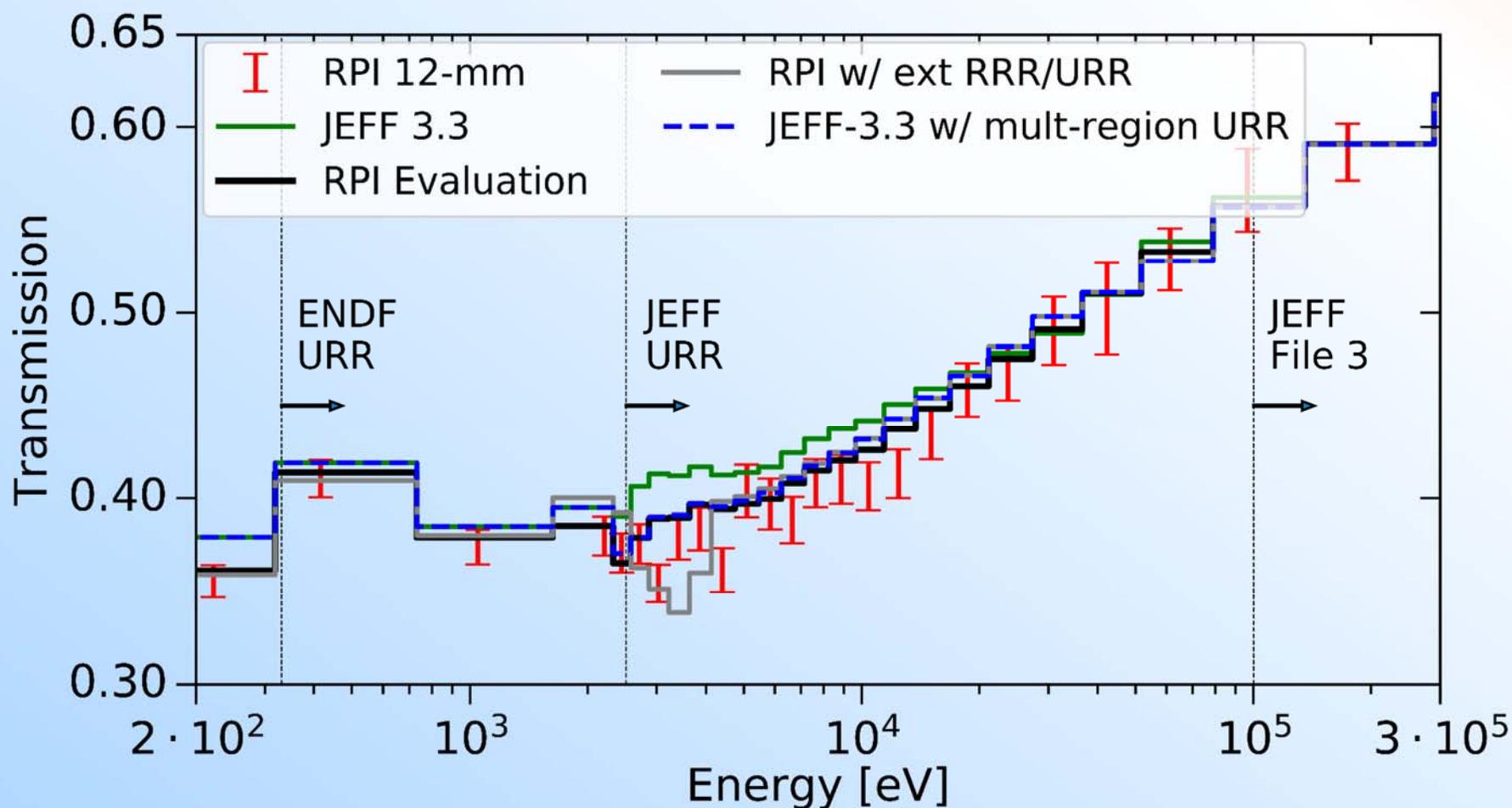
RRR parameter fit to 4 keV

- Mughabghab publishes parameters up to 4 keV
- Fit $E_\lambda, \Gamma_\gamma, \Gamma_n$
- No significant improvement



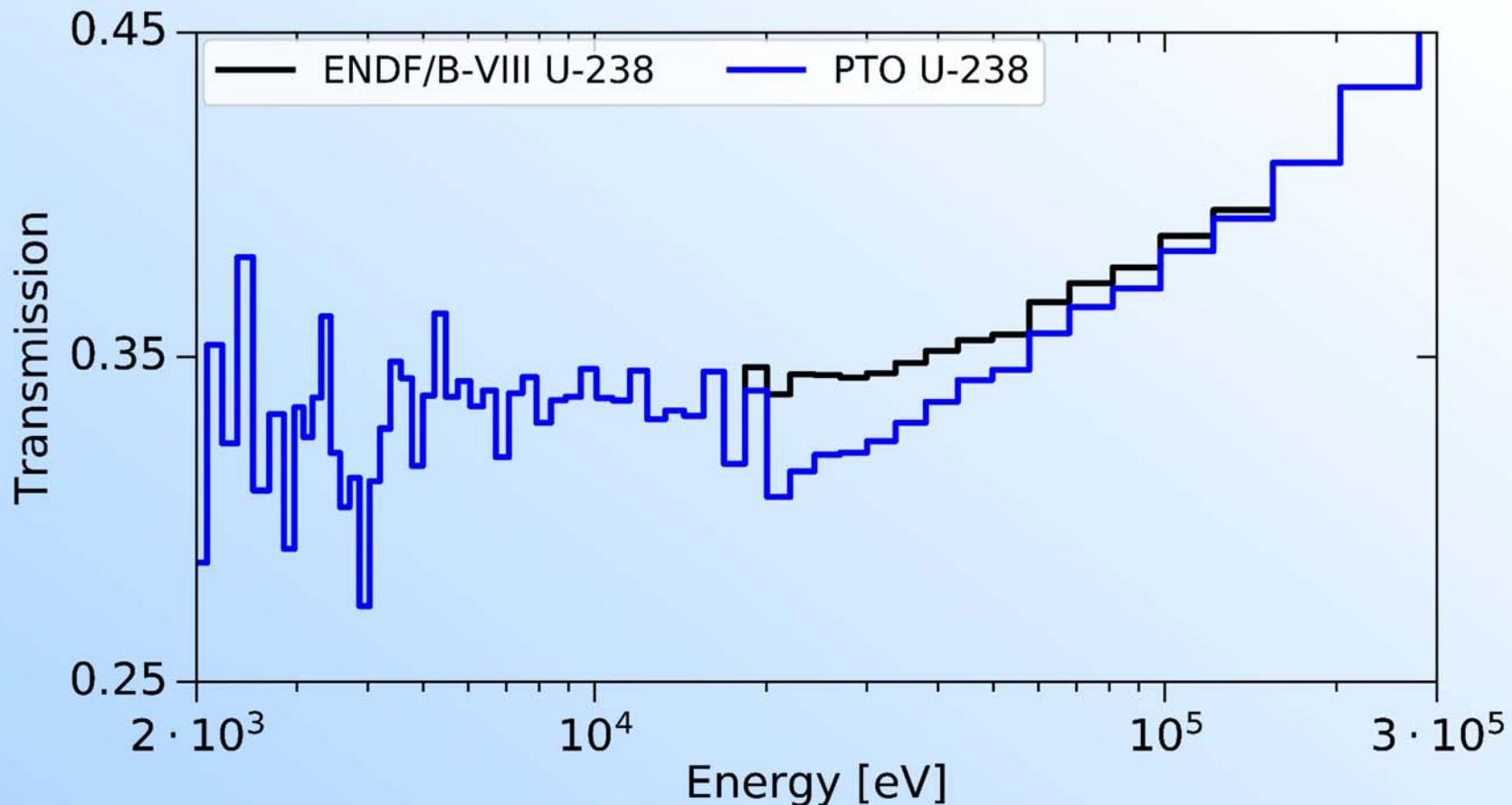
Summary of all evaluations

- Look very similar
 - extended resonance evaluation seems to under predict shelf shielding



Example for U-238

- MCNP simulation
 - Used 17 mm thick sample (can use thicker)
 - The self shielding effect is visible in the URR (E>20 keV)



Conclusions

^{181}Ta

- RRR representation is more accurate for calculating transmission (up to 2.4 keV)
- ENDF/B-VIII.0 needs to be updated
 - RRR treatment for ENDF/B evaluation should be extended (JEFF and JENDL \rightarrow 2.4 keV)
 - URR treatment for ENDF/B evaluation should be extended beyond 5 keV (JEFF and JENDL \rightarrow 100 keV)
- **New RPI data** provide best resolution to date and can be used to create a better ^{181}Ta evaluation

Transmission Validation

- Thick sample transmission measurement capable of validating the URR and RRR/URR boundary
 - Better targeted for validating the URR than previous high energy benchmark experiments
- Validation transmission is **very sensitive to resonance self-shielding**, a_c , R' and other URR parameters
- A **novel** method that can help improve cross section evaluations that affect criticality

