

# Definitions of yields

## Problems and confusions

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## Definitions of yield:

$$Y = \frac{N(\textit{reactions})}{N(\textit{incident})}$$

- **Target specific**
- **No dimension**
- **Time independent**
  
- **Different forms and different use**

# Special cases

➤ Charged particle induced reactions

energy loss, changing energy along the path

short range, finite volume

energy dependence

➤ Thin and thick target yield

➤ Stable reaction products

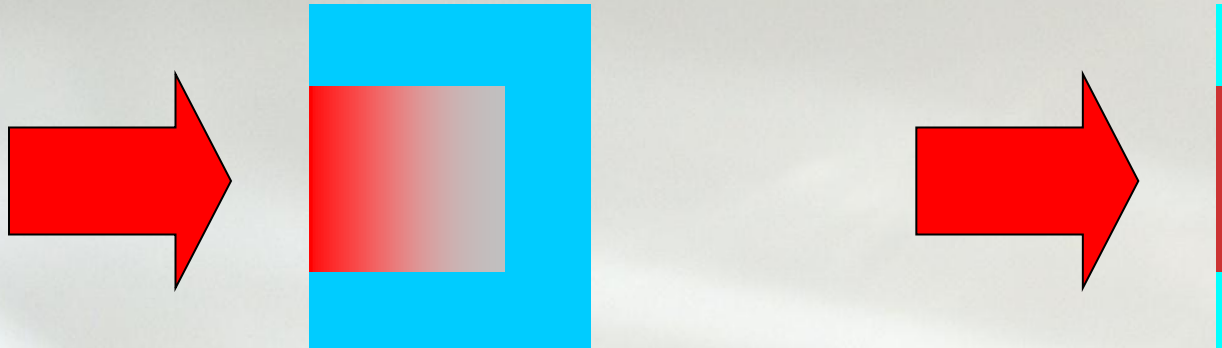
$$Y = \frac{N(\text{reactions})}{N(\text{incident})} \quad \left( \frac{N(\text{reactions})}{C} \right) \quad \left( \frac{N(\text{reactions})}{\mu Ah} \right) \quad \left( \frac{N(\text{reactions})}{\mu A} \right)$$

➤ Radioactive products

$$Y = \frac{N(\text{reactions})}{N(\text{incident})} \quad \left( \frac{MBq}{C} \right) \quad \left( \frac{MBq}{\mu Ah} \right) \quad \left( \frac{MBq}{\mu A} \right) \quad \left( \frac{MBq}{\mu A / h} \right) \quad \left( \frac{MBq}{\mu A - h} \right)$$

# Production rate

$$y(t) = N_t N_b(t) \sigma$$



$$y(t) = \frac{I(t)}{ze} \frac{N_A \rho}{M} \int_{E=0}^{E_b} \frac{\sigma(E)}{S(E)} dE$$



Number of nuclei produced in the target

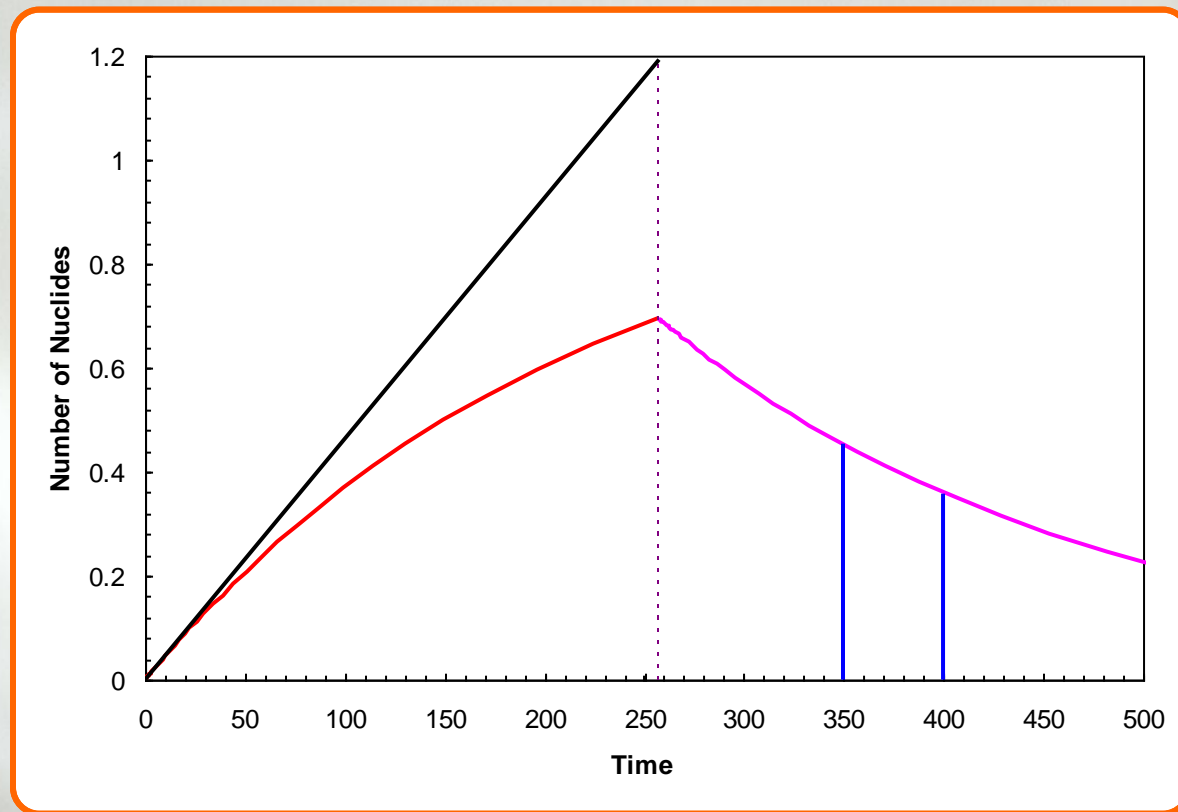
$$N = \frac{tI_0}{ze} \frac{N_A \rho}{M} \int_{E_{out}}^{E_{in}} \frac{\sigma(E)}{S(E)} dE$$

Number of nuclei present in the target

at EOB

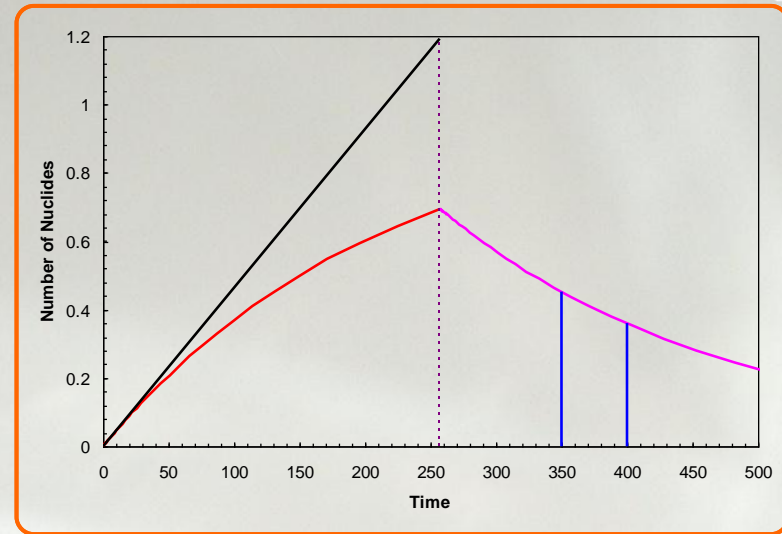
$$\frac{dN(t)}{dt} = I_0 y - \lambda N(t) \quad N(t) = I_0 y \frac{1 - e^{-\lambda t}}{\lambda}$$

Number of produced nuclei in the target  
Number of nuclei present in the target



$$A(t) = \lambda N(t)$$

$$N(t) = I_0 y \frac{1 - e^{-\lambda t}}{\lambda}$$



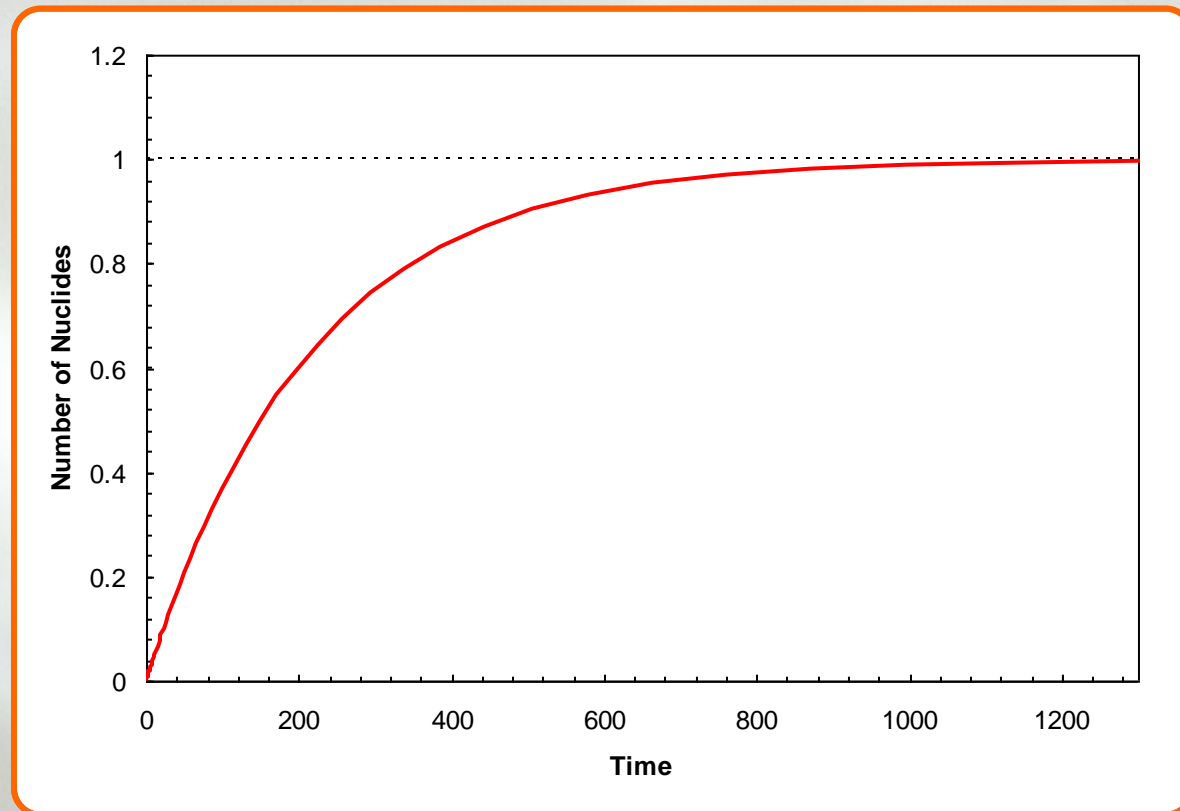
$$A(t) = \lambda N(t) = I_0 y (1 - e^{-\lambda t})$$

$$y(1 - e^{-\lambda t}) \equiv a(t)$$

**a(t)** defined as the **decay rate** or **specific activity** per unit current ( $Bq/\mu A$ )

$$A(t \rightarrow \infty) = I_0 y \equiv I_0 a_{sat}$$

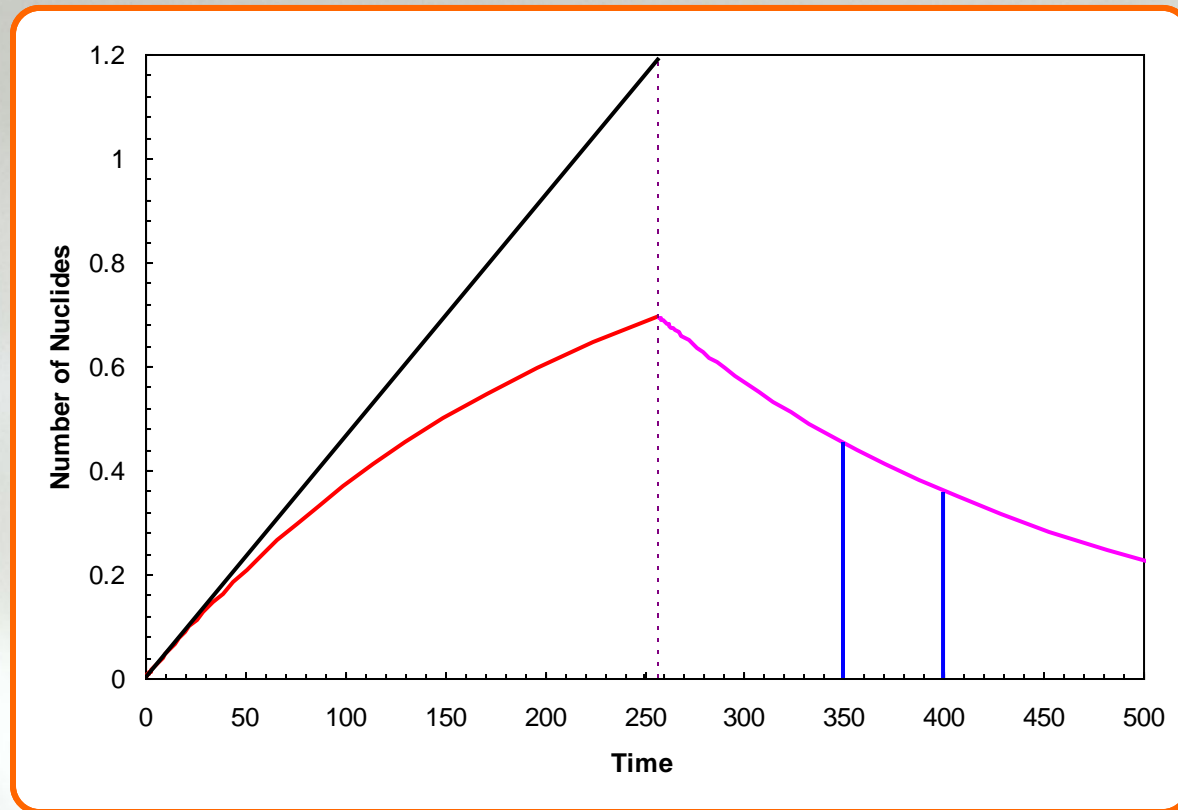
$a_{sat}$  defined as the **saturation decay rate** or **saturation specific activity** per unit current ( $Bq/mA$ )





$$\frac{dA(t)}{dt} = I_0 \lambda y e^{-\lambda t} \equiv I_0 \alpha(t)$$

$$\alpha(t = 0) = \lambda y$$



$\alpha(t)$  at  $t=0$  is the *production rate* ( $y$ ) times *decay constant* ( $\lambda$ ) which gives the **decay rate at  $t = 0$** .

This is time independent quantity with units of Bq/C and defined as the **physical yield**.

# Yield quantities defined in EXFOR

Name	Symbol		Typical unit
thick target product yield	$y$	,PY,,TT/CH	nuclei/ $\mu$ C, nuclei/ $\mu$ Ah
end-of-bombardment thick target yield	$a(t)$	,TTY,,EOB	MBq/ $\mu$ A
saturation thick target yield	$a_{\text{sat}}$	,TTY,,SAT	MBq/ $\mu$ A
physical thick target yield	$a(t \rightarrow \infty)$ $\alpha_{\text{phys}}$ $a(t=0)$	,TTY,,PHY	MBq/C



**Thank you for Your attention**